## Quiz 15

1. Hangry thru-hikers Anuj, Becca, and Crash (he's from Cali it's not his fault) are sharing two high quality granolas - Kashi and Galaxy. Their values for the types of granola are on the left below. Anuj makes the cut on the right, which is a good cut for $A$ to play Steinhaus' lone divider method.

|  | Kash | Gal |
| :---: | :---: | :---: |
| $A$ | $1 / 2$ | $1 / 2$ |
| $B$ | $1 / 3$ | $2 / 3$ |
| $C$ | 1 | 0 |


|  | $S_{1}$ | $S_{2}$ | $S_{3}$ |
| :---: | :---: | :---: | :---: |
| Kash | $1 / 3$ | $1 / 6$ | $1 / 2$ |
| Gal | $1 / 3$ | $1 / 2$ | $1 / 6$ |

With this cut above on the right, $A, B$, and $C$ will play Steinhaus' lone divider method.
(a) Fill out the envy-table below for this example and the Bid lists. How does each player feel about each slice? Which pieces will each player include in their Bid list?

|  | $S_{1}$ | $S_{2}$ | $S_{3}$ | Bid list |
| :--- | :--- | :--- | :--- | :--- |
| $A$ | $1 / 3$ | $1 / 3$ | $1 / 3$ |  |
| $B$ |  |  |  |  |
| $C$ |  |  |  |  |

(b) Is there an envy-free division which can result from Steinhaus' method in this example?

Circle One: Yes No
If yes, describe who gets which slice. If no, explain why.
(c) Describe a fair division which is NOT envy-free that results from Steinhaus' method in this example.
2. Circle T if the claim is true, F if the claim is false. (1 pt each)
(a) Every player considers at least one of the slices fair in Steinhaus' lone divider Method.
(b) Steinhaus' lone divider method is pareto-optimal.

